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International Islamic University Chittagong

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Lecturer

Computer and Communication Engineering

Bandwidth of Amp Modulation

The bandwidth of the signal can be obtained by taking the difference between the highest and lowest frequencies of the signal. From the above figure, we can obtain the bandwidth of AM wave as,

$$BW = f_{USB} - f_{LSB}$$
$$= (f_c + f_m) - (f_c - f_m)$$

$$\therefore \boxed{BW = 2f_m}$$

f_{USB} = Upper Side Band Frequency

f_{LSB} = Lower side of band frequency

(Message signal is a frequency f_m and carrier frequency is f_c)

Thus, it can be said that the bandwidth required for amp. modulated wave is twice the frequency of modulating signal.

Power Calculation of AM wave :-

$$AM(t) = \underbrace{A_c \sin 2\pi f_c t}_{\text{Carrier Frequency}} + \frac{mA_c}{2} \cos 2\pi (f_c - f_m)t + \frac{mA_c}{2} \cos 2\pi (f_c + f_m)t$$

$$P_t = P_c + P_{USB} + P_{LSB}$$

We know that the standard formula for power of cos signal is,

$$P = \frac{V_{rms}^2}{R} = \frac{(V_m/\sqrt{2})^2}{2}$$

V_{rms} = is the rms value of cos signal
 V_m = is the peak value of cos signal

(3 प्रश्न पर)

Carrier power,

$$P_c = \frac{(A_c/\sqrt{2})^2}{R} = \frac{A_c^2}{2R}$$

Upper Sideband power,

$$P_{USB} = \frac{(A_c m / 2\sqrt{2})^2}{R} = \frac{A_c^2 m^2}{8R}$$

Similarly, we will get lower sideband power

same as that of the upper side band power,

$$P_{LSB} = \frac{A_c^2 m^2}{8R}$$

Let's add three powers in order to get the total power of AM wave,

$$P_t = \frac{A_c^2}{2R} + \frac{A_c^2 m^2}{8R} + \frac{A_c^2 m^2}{8R}$$

$$\therefore P_t = \left(\frac{A_c^2}{2R} \right) \left(1 + \frac{m^2}{4} + \frac{m^2}{4} \right)$$

$$\therefore P_t = P_c \left(1 + \frac{m^2}{2} \right)$$

* We can use this to calculate AM wave when the carrier power & the modulation index are known.

if Modulation index $m = 1$ then the power

OF AM wave is equal to 1.5 times the carrier power.

The power required for transmitting an

AM wave is 1.5 times the carrier power for a perfect modulation.

Current Calculation

$$P_t = \left(1 + \frac{m^2}{2}\right) P_c$$

$$\text{Or, } \frac{P_t}{P_c} = 1 + \frac{m^2}{2}$$

$$\text{Or, } \frac{I_t^2 R}{I_c^2 R} = 1 + \frac{m^2}{2}$$

$$\text{Or, } \frac{I_t}{I_c} = \sqrt{1 + \frac{m^2}{2}}$$

$$\text{Or, } (I_t) = I_c \sqrt{1 + \frac{m^2}{2}}$$

If we consider $m=1$; For 100% modulation

$$P_t = I_c^2 \sqrt{1.5}$$

$$I_t = 1.22 I_c$$

Transmitted Efficiency:-

Transmission Efficiency is defined as the ratio of total side band power to the total transmitted power.

$$\eta = \frac{P_{SB}}{P_t}$$

$$\text{Or, } \eta = \frac{\frac{m^2 P_c}{2}}{P_c \left(1 + \frac{m^2}{2}\right)}$$

$$= \frac{\frac{m^2}{2}}{m^2 + 2}$$

$$\eta = \frac{m^2}{m^2 + 2}$$

Advantages of Amplitude Modulation:-

⇒ Few Components Needed:-

At the receiver side, the original signal is extracted (demodulated) using a circuit consisting of very few components.

→ Amplitude Modulation is very cheap. So the

AM transmitter & AM receiver is build at low cost.

→ It is simple to implement.

→ Long distance Communication:-

Amplitude Modulated waves can travel a longer distance.

Disadvantages OF AM

→ In AM most of the power is concentrated in the carrier signal which contains no information. At the receiver side, the power consumed by the carrier wave is wasted.

→ Requires high bandwidth:-

The amplitude modulation is not efficient in terms of its use of bandwidth. It requires a bandwidth equal to twice that of the highest audio signal frequency.

→ This type of transmission can be easily affected by the external radiation.

→ It is also affected by the man-made noises or radiations like waves from other antennas or channels.

→ AM can't be used for transmitting music as done by Frequency Modulation (FM).

→ AM can't be used for transmission of sensitive information like in the army, where interpretation or loss or disruption during transmission is not an option.

Applications of AM

→ Air Band Radio:-

Aerospace Industry. The VHF (very high frequency) transmission made by the airborne equipment still use amplitude modulation. The radio contact between ground to ground & also ground to air

use amplitude modulated (AM) signals.

Broadcast Transmission:-

AM is still widely used for broadcasting either short or medium or long wave bands.

Quadrature Amplitude Modulation:-

AM is used in the transmission of data

of almost everything, from short-range

transmission such as wifi to cellular

communications. Quadrature Amplitude

Modulation is formed by mixing two carriers

that are out of phase by 90° .

Single Sideband:-

AM in the form of single sideband is

still used for HF (High Frequency) radio links.

Q1] Assume $m(t) = A_m \sin \omega_m t$ and $c(t) = A_c \sin \omega_c t$

$$c(t) = A_c \sin \omega_c t$$

Derive expression for amplitude modulated (AM) wave $AM(t)$

Ans:-

Answer:-

$$A_c \sin \omega_c t + \frac{A_c m_a}{2} \cos 2\pi (f_c - f_m) t - \frac{A_c m_a}{2} \cos 2\pi (f_c + f_m) t$$

Q2] Assume $m(t) = A_m \sin \omega_m t$ and $c(t) = A_c \cos \omega_c t$
derive expression for amplitude modulated (AM) wave $AM(t)$.

Answer:-

$$A_c \cos \omega_c t + \frac{A_c m_a}{2} \sin 2\pi (f_c - f_m) t - \frac{A_c m_a}{2} \sin 2\pi (f_c + f_m) t$$

Q3] Assume $m(t) = A_m \cos \omega_m t$ &
 $c(t) = A_c \sin \omega_c t$
derive expression for amplitude modulated (AM) wave $AM(t)$

$$A_c \sin \omega_c t + \frac{A_c m_a}{2} \sin 2\pi (f_c + f_m) t + \frac{A_c m_a}{2} \sin 2\pi (f_c - f_m) t$$

$$\sin 2\pi (f_c - f_m)t$$

where,

Q2 Assume $m(t) = A_m \sin \omega_m t$

$$c(t) = A_c \cos \omega_c t$$

$$\Rightarrow \text{So, } a_m = A_m \sin \omega_m t \quad \text{--- (1)}$$

$$a_c = A_c \cos \omega_c t \quad \text{--- (2)}$$

The amplitude modulated wave (A) is given

as:-

$$A = A_c + a_m \quad \text{--- (3)}$$

putting a_m value in equation (3) From equation (1)

$$A = A_c + A_m \sin \omega_m t$$

~~AM(t)~~

∴ Amplitude Modulation,

$$AM(t) = (A_c + A_m \sin \omega_m t) \sin \omega_c t$$

$$= A_c \sin \omega_c t$$

$$= A_c \cos \omega_m t + A_m \sin \omega_m t \cdot \cos \omega_c t$$

$$= A_c \cos \omega_m t + m A_c \sin \omega_m t \cdot \cos \omega_c t$$

$$= A_e \cos \omega t + \frac{1}{2} \cdot 2 m A_e \sin \omega t \cdot \cos \omega t$$

$$= A_e \cos \omega t + \frac{m A_e}{2} \sin 2 \omega t$$

$$= A_e \cos \omega t + \frac{m A_e}{2} \sin 2 \omega t$$

$$= A_e \cos 2\pi f_m t + \frac{m A_e}{2} \sin 2\pi f_m t$$

(1) $f_m = 1000$ Hz
(2) $f_m = 2000$ Hz

The complex modulated wave (A) is given

$$(A) = A_e \cos \omega t + \frac{m A_e}{2} \sin 2 \omega t$$

From equation (A) it is clear that the modulated wave is a sum of two sinusoidal waves. The first wave is the carrier wave and the second wave is the modulating wave.

$$A = A_e \cos \omega t + \frac{m A_e}{2} \sin 2 \omega t$$

(B)

The complex modulated wave (B) is given

$$(B) = A_e \cos \omega t + \frac{m A_e}{2} \sin 2 \omega t$$

$$A = A_e \cos \omega t + \frac{m A_e}{2} \sin 2 \omega t$$

$$A = A_e \cos \omega t + \frac{m A_e}{2} \sin 2 \omega t$$

$$A = A_e \cos \omega t + \frac{m A_e}{2} \sin 2 \omega t$$

□ Square law Modulator

□ Switching Modulator } two modulators generate AM wave

Square Law Modulator

The circuit that generates the AM waves is called as amplitude modulator. Generation of

AM waves using the square law modulator

could be understood in a better way by

observing the square law modulator circuit

shown in the above figure

→ It consists with:

→ A Non-linear device

→ A bandpass Filter

→ A carrier source & modulating signal

A square law modulator requires these

features.

① A means of summing the carrier & modulating waves, a

- ② A non linear element,
- ③ A band pass filter for extracting the desired modulation products.

Semi conductor diodes & transistors are the most common non-linear devices used for implementing square law modulators.

$C(t)$ → Carrier signals
 $m(t)$ → message signals
 f_c → Frequency

$C(t) \cdot m(t)$ → Expected output of a product modulator.

$$V_2(t) = a_1 V_1(t) + a_2 V_1^2(t)$$

a_1, a_2 → constants

$V_2(t)$ → Output from non linear device

$V_1(t)$ → The input to the non linear device

The Modulating signal & Carrier are connected in series with each other & their sum $V_1(t)$ is applied at the input of

the non-linear device, such as diode, transistor etc.

Thus

$$V_1(t) = m(t) + E_c \cos(2\pi f_c t) \quad \text{--- (1)}$$

$$V_2(t) = a V_1(t) + b V_1^2(t) \quad \text{--- (2)}$$

[The input output relation for non-linear device is as under].

Now, substituting (1) in (2),

$$V_2(t) = a [m(t) + E_c \cos(2\pi f_c t)] + b [m(t) + E_c \cos(2\pi f_c t)]^2$$

$$= a m(t) + a E_c \cos(2\pi f_c t) + b m^2(t) + 2b m(t) E_c \cos(2\pi f_c t) + b E_c^2 \cos^2(2\pi f_c t)$$

$m(t)$ → modulating signal

$a E_c \cos(2\pi f_c t)$ → carrier signal

$b m^2(t)$ → squared modulating "

$2b m(t) \cos(2\pi f_c t)$ → AM wave with only sidebands

$b E_c^2 \cos^2(2\pi f_c t)$ → squared carrier

... (1) ...

$$v_o(t) = a E_c \cos(2\pi f_c t) + 2b m(t) E_c \cos(2\pi f_c t)$$

or,

$$v_o(t) = [a E_c + 2b m(t) E_c] \cos(2\pi f_c t)$$

Therefore,

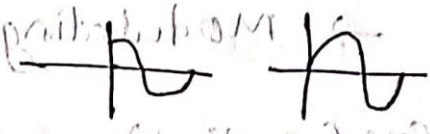
$$v_o(t) = a E_c [1 + \frac{2b}{a} m(t)] \cos(2\pi f_c t) \quad \text{--- (3)}$$

Comparing this with the expressing for standard

AM wave,

$$s(t) = E_c [1 + m(t)] \cos(2\pi f_c t)$$

$$v_o(t) = a_1 v_i(t) + a_2 v_i^2(t) + a_3 v_i^3(t) \quad \text{--- (1)}$$

$$v_i(t) = m(t) + c(t)$$


$$= A_c \cos 2\pi f_c t + m(t) \quad \text{--- (2)}$$

So, $v_o(t) = a_1 A_c \cos 2\pi f_c t + 2a_2 A_c m(t) \cos 2\pi f_c t$

The Fourier transformation of $V(t)$ is,

$$V_0(f) = \frac{a_1 A_c}{2} [\delta(f - f_c) + \delta(f + f_c)] + \frac{2a_2 A_c}{2}$$

$$[M(f - f_c) + M(f + f_c)]$$

$$V_0(f) = \frac{a_1 A_c}{2} [\delta(f - f_c) + \delta(f + f_c)]$$

$$+ a_2 A_c [M(f - f_c) + M(f + f_c)]$$

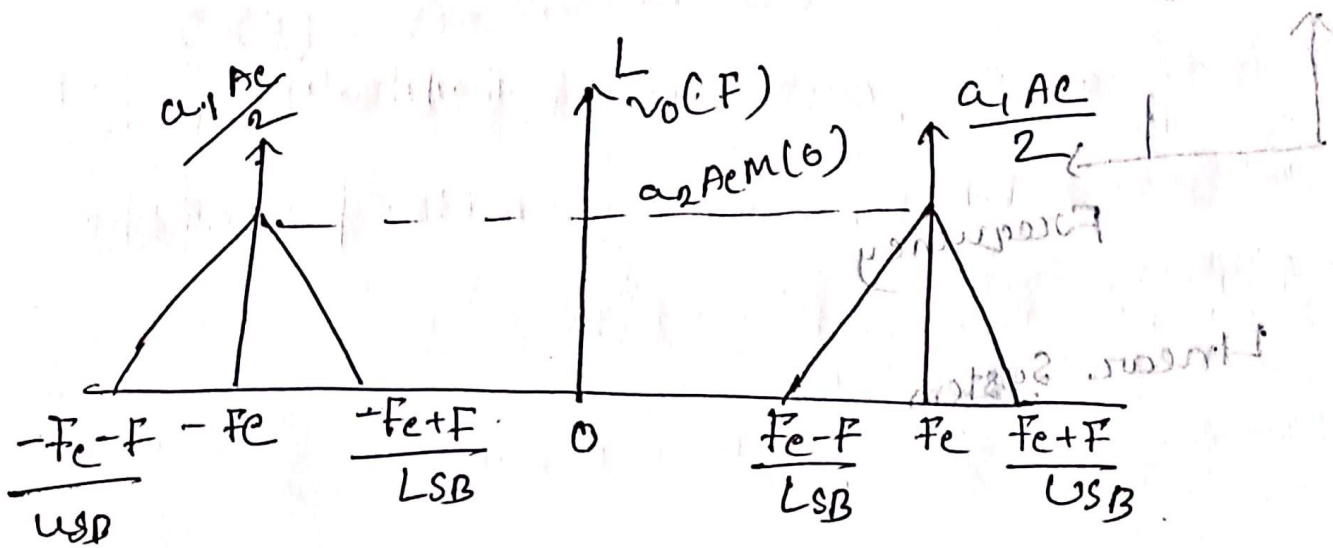


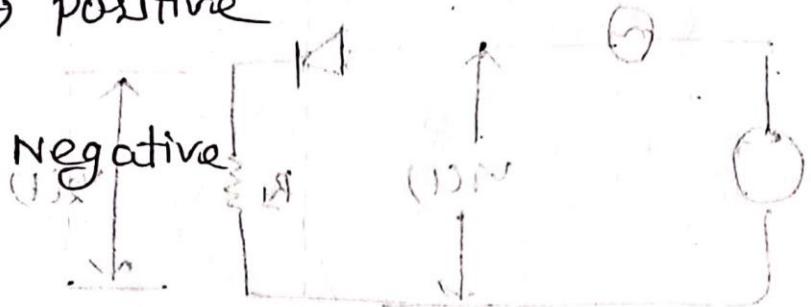
Fig: Spectrum of AM signal

working operation and Analysis

(modulation part. line?)

Forward bias \rightarrow positive

Reverse bias \rightarrow Negative



Forward bias \rightarrow output voltage $V_2(t) = V_1(t)$
(just $\pi/2$ \cos \sin \cos \sin)

In the positive half cycle of $e(t)$ &

$$V_2(t) = 0$$

$e(t)$ Negative half cycle $V_2(t) = 0$

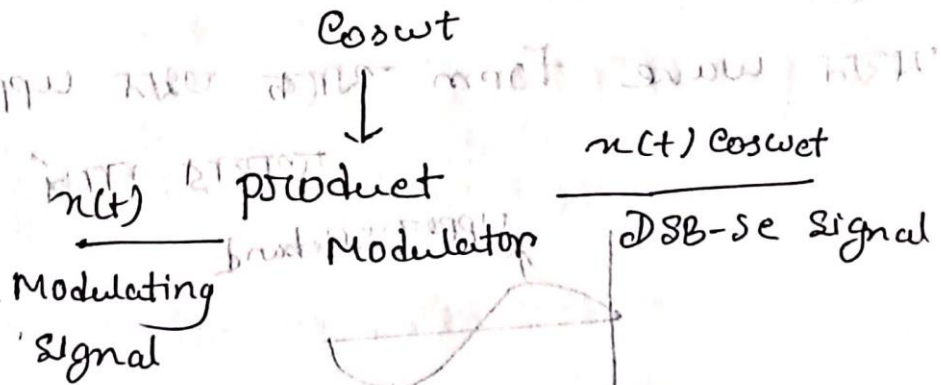
Hence, $V_2(t) = V_1(t)$ For $e(t) > 0$

$$V_2(t) = 0 \quad \text{For } e(t) < 0$$

In other words the load voltage $V_2(t)$ varies periodically between the values $V_1(t)$ at the rate equal to carrier frequency f_c

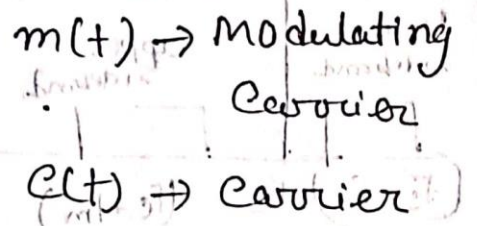
$$V_2(t) = V_1(t) \cdot \dots$$

Generation of DSB-SC Signal



DSB-SC wave

$$s(t) = m(t) e(t)$$



$$\Rightarrow A_m A_c \cos(2\pi F_m t) \cos(2\pi F_c t)$$

Bandwidth of DSB-SC wave

$$BW = f_{max} - f_{min}$$

DSBSC modulating wave, Power Calculation

$$s(t) = A_m A_c \cos(2\pi f_m t) \cos(2\pi f_c t)$$

$$\Rightarrow s(t) = \frac{A_m A_c}{2} \cos[2\pi(f_c + f_m)t] + \frac{A_m A_c}{2} \cos[2\pi(f_c - f_m)t]$$

$$P = \frac{A_m^2 A_c^2}{4R}$$

$$P_{\text{avg}} = \frac{A_m^2 A_c^2}{4R}$$

$$P_{\text{avg}} = \frac{A_m^2 A_c^2}{4R}$$

Total power of DSBSC wave

$$P_T = \frac{A_m^2 A_c^2}{4R} + \frac{A_m^2 A_c^2}{4R} = \frac{A_m^2 A_c^2}{2R}$$

Total power = P_T

power calculations of DSBse wave -

$$(1 + \cos 2\omega t) \cos(\omega t + \phi) = \cos(\omega t + \phi) + \cos(3\omega t + \phi)$$

$$[2 \cos(\omega t + \phi)] \cos \frac{A_m \sin \omega t}{2} = (1) \cos(\omega t + \phi)$$

$$P_t = P_{USB} + P_{LSB}$$

$$P = \frac{U_{rms}^2}{R} = \frac{(U_m \sqrt{2})^2}{R}$$

$$P_{USB} = \frac{(A_m A_c / 2\sqrt{2})^2}{R}$$

$$\therefore P_{USB} = \frac{A_m^2 A_c^2}{8R}$$

Total power of DSBse wave,

$$P_t = \frac{A_m^2 A_c^2}{8R} + \frac{A_m^2 A_c^2}{8R} \quad [P_t = \text{Total power}]$$

$$\Rightarrow P_t = \frac{A_m^2 A_c^2}{4R}$$

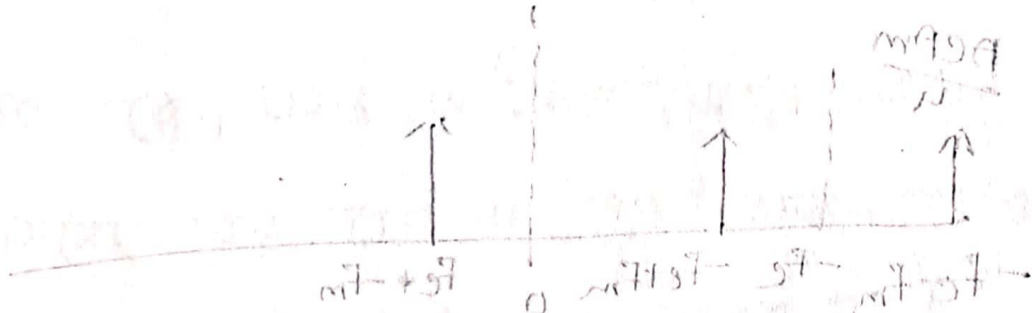
Single Tone Modulation

$$S(t) = A \cdot$$

$$\left[(\cos(\omega_c t + \phi) + 1) \cos(\omega_m t) + (\cos(\omega_c t + \phi) - 1) \cos(\omega_m t) \right] \frac{m A_c \mu A}{P} \quad \text{--- (7) a}$$

$$\left[(\cos(\omega_c t + \phi) + 1) \cos(\omega_m t) + (\cos(\omega_c t + \phi) - 1) \cos(\omega_m t) \right] \frac{m A_c \mu A}{P}$$

(7) e



⊗ Fourier transformation করা শুরু মেনো আমরা equation 2ত spectrum draw করতে পারছি।
 ~~$m(t) = A_m \cos$~~

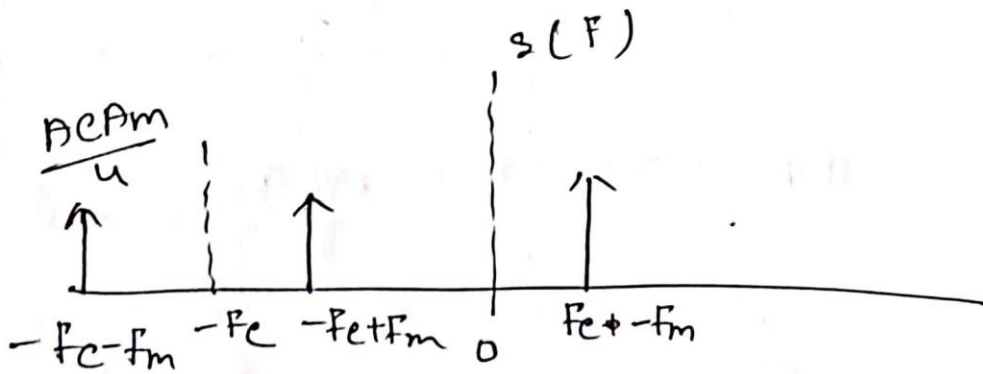
$$S(t) = A_c A_m \cos(2\pi F_c t) \cdot \cos(2\pi F_m t)$$

=>

Realization of a signal

(1)

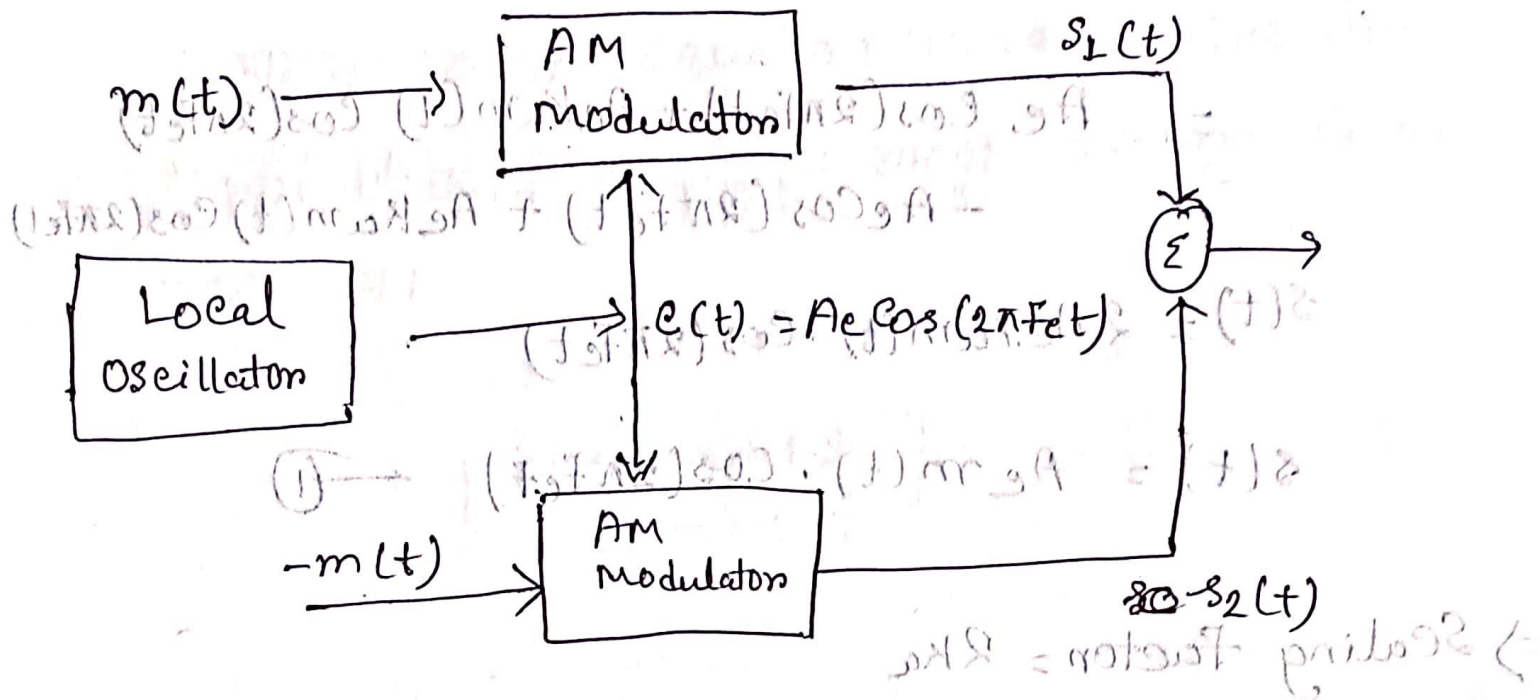
$$s(f) \Rightarrow \frac{AcAm}{4} \left[\delta(f - f_c - f_m) + \delta(f + f_c + f_m) \right] + \frac{AcAm}{4} \left[\delta(f - f_c + f_m) + \delta(f + f_c - f_m) \right]$$



Fourier transformation of a signal
 The spectrum of a signal is given by
 $S(f) = \int_{-\infty}^{\infty} s(t) e^{-j2\pi ft} dt$

$$s(t) = A \cos(2\pi f_c t) \cos(2\pi f_m t)$$

Balanced Modulator



⇒ DSBSC তে USB ও LSB থাকে। এখন কোটা

SB মেনা বড় ছোট না হয় ~~অসম~~ সম কারণে

BT Balanced Modulator করে হয়।

Modulating signal 2 types positive, Negative
 $m(t)$ $-m(t)$

Output of the upper AM modulator is,

$$s_1(t) = A_c [1 + k_a m(t)] \cos(2\pi F_c t)$$

Output of the lower AM Modulator is,

$$s_2(t) = A_c [1 - k_a m(t)] \cos(2\pi F_c t)$$

so, $s(t) = s_1(t) - s_2(t)$

$$= A_e \cos(2\pi f_c t) + A_e k_a m(t) \cos(2\pi f_c t) - A_e \cos(2\pi f_c t) + A_e k_a m(t) \cos(2\pi f_c t)$$

$$s(t) = 2 A_e k_a m(t) \cos(2\pi f_c t)$$

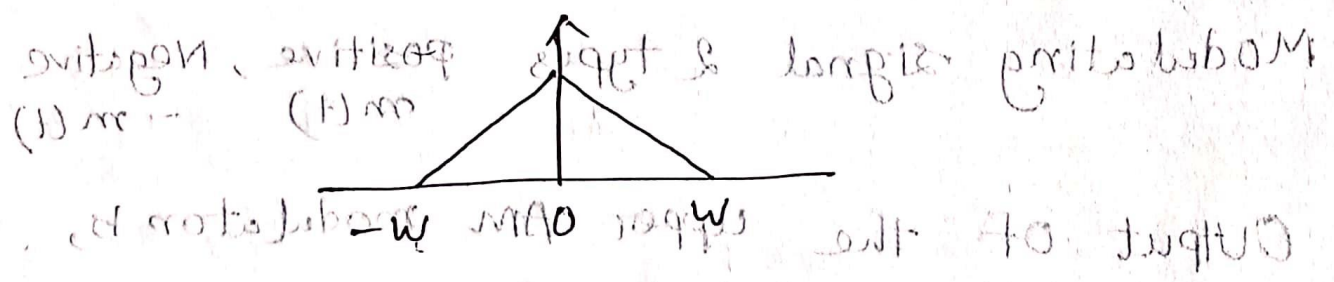
$$s(t) = A_e m(t) \cdot \cos(2\pi f_c t) \quad \text{--- (1)}$$

\Rightarrow Scaling Factor = $2k_a$

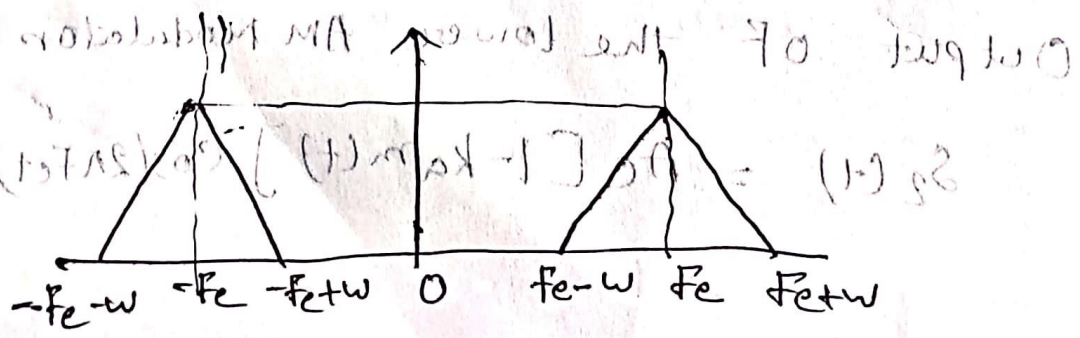
① Fourier transformation करके,

$$s(f-f_c) + s(f+f_c)$$

$$s(f) = k_a A_e [M(f-f_c) + M(f+f_c)]$$



baseband signal spectrum



6 Scaling Factor:- यदि कोला कारणे

आमरा कोला equation ए कोला specific

विभन्न ना कानि उधन से ताके scaling factor

वला श्य।

(+) Ring Modulator

Positive चिह्न D_1, D_3 ON $\rightarrow D_2, D_4$ (OFF)

Negative " D_2, D_4 ON श्य $\rightarrow D_1, D_3$ (OFF)

$$c(t) = \frac{4}{\pi} \sum_{n=1}^{\infty} \frac{(-1)^{n-1}}{2n-1} \cos [2\pi f_c t (2n-1)]$$

\Rightarrow कोला Fourier Transformation odd even चारेले

— odd even श्य।

$s(t)$ Combination of n terms,

$$s(t) = \frac{4}{\pi} \sum_{n=1}^{\infty} \frac{(-1)^{n-1}}{2n-1} \cos [2\pi F_c t + (2n-1)\pi] m(t)$$

$$s(t) = \frac{4}{\pi} \cos [2\pi F_c t + (2m+1)\pi] m(t)$$

Fourier series,

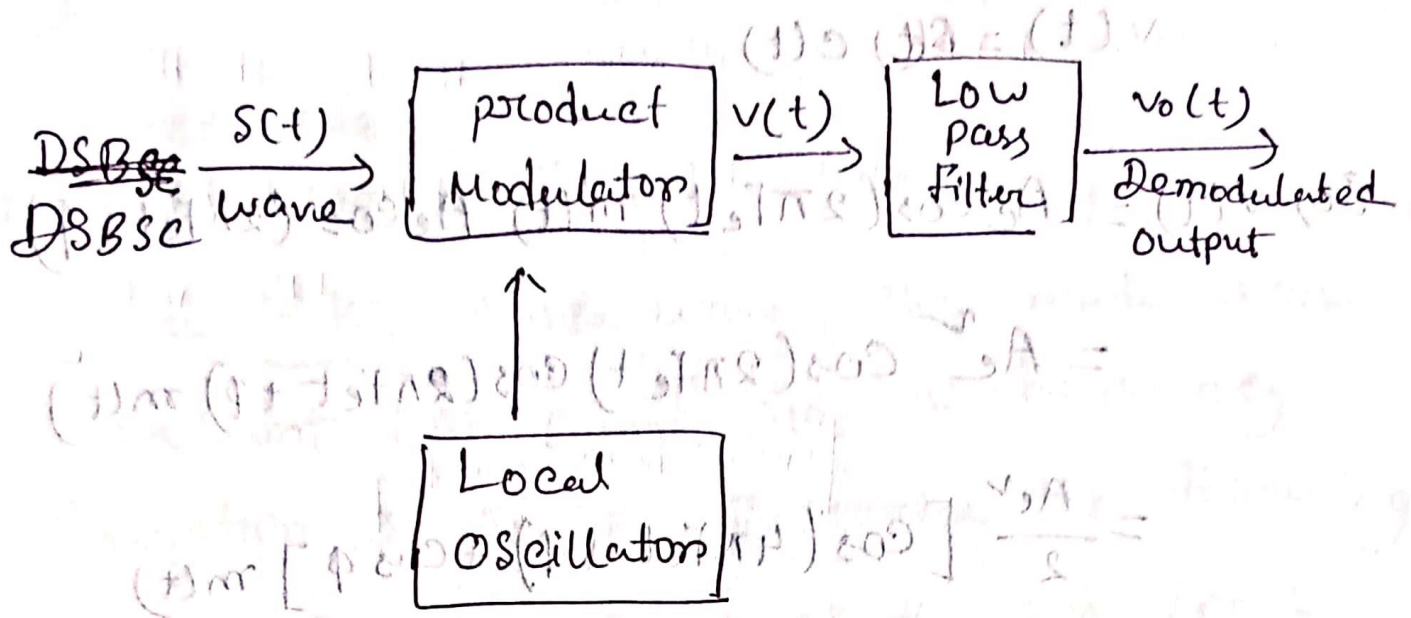
$$s(t) =$$

Positive terms \rightarrow \cos and \sin terms
 Negative terms \rightarrow $-\cos$ and $-\sin$ terms

$$s(t) = \frac{4}{\pi} \sum_{n=1}^{\infty} \frac{(-1)^{n-1}}{2n-1} \cos [2\pi F_c t + (2n-1)\pi] m(t)$$

Fourier series expansion can be used to find the average value of a periodic function.

Coherent Detector



\rightarrow message signal $\frac{A}{2} + (t) m \cos 2\omega \frac{3A}{-2} = (t) v$

Let the DSBSC wave be,

$$s(t) = A_c \cos(2\pi f_c t) m(t)$$

The output of the local oscillator is,

$$c(t) = A_c \cos(2\pi f_c t + \phi) \quad (\text{phase difference})$$

$\phi = 0$ \rightarrow ϕ is the phase difference between the DSBSC demodulator

$\phi = 0$ USB, LSB (for $\phi = 0$) $+90^\circ$ or -90°

$\phi = \pm 90^\circ$ \rightarrow $\phi = 90^\circ$ or -90°

Output of product modulator,

$$v(t) = s(t) c(t)$$

$$\text{So, } v(t) = A_c \cos(2\pi f_c t) m(t) A_c \cos(2\pi f_c t + \phi)$$

$$= A_c^2 \cos(2\pi f_c t) \cos(2\pi f_c t + \phi) m(t)$$

$$= \frac{A_c^2}{2} [\cos(4\pi f_c t + \phi) + \cos \phi] m(t)$$

$$v(t) = \frac{A_c^2}{2} \cos \phi m(t) + \frac{A_c^2}{2} \cos(4\pi f_c t + \phi) m(t)$$

Low pass filter,

$$v_o(t) = \frac{A_c^2}{2} \cos \phi m(t)$$

Demodulated signal will be

when maximum, $\phi = 0^\circ$

will be zero when $\phi = \pm 90^\circ$

There will be an effect if $\phi = \pm 90^\circ$

Single Sideband Suppressed Carrier (SSBSC)

Q8
A 107.6 MHz carrier signal is frequency modulated by a 7 kHz sine wave. The modulation resultant FM signal has a frequency deviation of 50 kHz . Determine the following:-

- (1) The carrier swing of the FM signal
- (2) The highest & the lowest frequencies obtained by the modulated signal
- (3) The modulation index of the FM wave.

\Rightarrow Here,

$$f_c = 107.6 \text{ MHz}$$

$$f_m = 7 \text{ kHz (sine)}$$

$$\Delta f = 50 \text{ kHz}$$

$$\therefore \text{Carrier swing} = 2 \times \text{Frequency deviation}$$

$$= 2 \times 50$$

$$= 100 \text{ kHz}$$

(Ans)

② Highest Frequency.

$$F_H = F_c + \Delta F$$

$$= (107.6 + 50)$$

$$= 107.6 \times 10^6 + 50 \times 10^3$$

$$= 107600000 + 50000 = 107650000 \text{ Hz}$$

$$= 107.65 \text{ MHz}$$

Lowest Frequency,

$$F_L = F_c - \Delta F$$

$$= 107.6 \times 10^6 - 50 \times 10^3$$

$$= 107550000$$

$$= 107.55 \text{ MHz}$$

(Ans)

Carrier swing = 2 x frequency deviation

$$= 2 \times 50$$

$$= 100 \text{ kHz}$$

(Ans)

③

$$\text{modulation Index, } m_f = \frac{\Delta F}{f_m}$$
$$= \frac{50 \times 10^3}{7 \times 10^3}$$
$$= \frac{50}{7}$$
$$= 7.143$$

□ Determine the Frequency Deviation & Carrier swing for FM.

⇒

Here nesting or Carrier frequency $f_c = 105.00 \text{ MHz}$

Upper Frequency $f_H = 105.007 \text{ MHz}$

lowest frequency, $f_L = ?$

⇒

Here,

$$\Delta F = f_H - f_c$$

$$= (105.007 - 105) \times 10^6 \text{ Hz}$$

$$= 7000 \text{ Hz} = 7 \text{ kHz} \text{ (Ans)}$$

So, Carrier swing = $2 \times 7 = 14 \text{ kHz}$ (Ans)

Lowest Frequency, $f_L = f_c - \Delta f$

$$= (105.000 - 7) \text{ kHz}$$

$$= 104.993 \text{ kHz}$$

$$= 104.993 \text{ MHz}$$

Ans.

- 10^3
- 10^2
- 10
- 10^{-1}
- 10^{-2}
- 10^{-3}

$$= \frac{105}{10^3}$$

$$= (105.000 - 7) \text{ kHz}$$

$$= 104.993 \text{ kHz}$$

$$= (105 - 0.007) \text{ MHz}$$

$$= 104.993 \text{ MHz}$$

Lowest frequency $f_L = f$

$$\Delta f = f_H - f_L = 7 \text{ kHz}$$

$$= (102.007 - 102) \text{ kHz}$$

$$= 7 \text{ kHz (Ans)}$$

$$= 2 \times 7 = 14 \text{ kHz (Ans)}$$

(3) $\Delta F = 20 \text{ kHz}$

(1) Determine the percent Modulation of this signal if it is broadcasted in the 88 - 108 MHz band.

(2) Calculate the percent modulation if this signal is broadcasted as the audio portion of a television broadcast

①
 \Rightarrow Here
Actual Deviation, $\Delta F = 20 \text{ kHz}$

We know,

$$M = \frac{\Delta F_{\text{Actual}}}{\Delta F_{\text{max}}} \times 100\%$$

The maximum ~~frequency~~ of FM broadcast band is 75 kHz

$$\begin{aligned} M &= \frac{20 \times 10^3}{75 \times 10^3} \times 100\% \\ &= 26.67\% \end{aligned}$$

Ans

(2) The audio portion of a television broadcast

$= 25 \text{ kHz}$

$\therefore m = \frac{20 \times 10^3}{25 \times 10^3} \times 100\%$

... (2) ...
 ... (1) ...
 ... (Ans) ...

...
 ...
 ...

$m = \frac{\Delta f_{\text{audio}}}{f_{\text{carrier}}} \times 100\%$

...
 ...
 ...

$m = \frac{20 \times 10^3}{25 \times 10^3} \times 100\%$

$= 80\%$

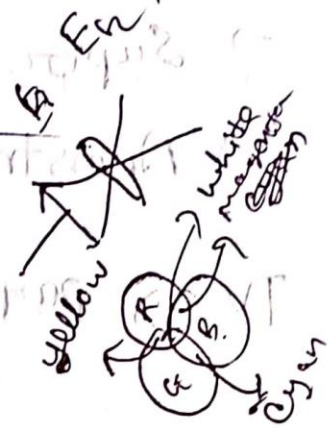
...



**KEEP
CALM
ITS TIME FOR THE
FINAL
EXAM**

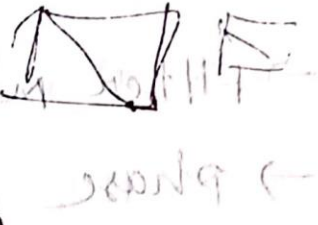
Need For Frequency Mixing:-

Final Exam
Basic Communication



TV 9- RF Tuner → Receiver

- ⇒ justify the choice ... (vvi)
- ⇒ Color Mixing (vvi) → (31)
- ⇒ Math related to TV (Last slide)



- ⇒ 8, 9 slide (vvi)
- ⇒ 3, 4 slide

TV 2 to 5 or Question

Suggestion:- part-A & B

- Noise →
 - Noise
 - Effect of noise → (all) equation
 - SSB
 - DSBSC
 - AM Receiver
 - EX-5.1.1
 - FM → part-A & B both

(1) (a) precautions to design a master oscillator, -

(i) Oscillator should be enclosed in constant temperature

(ii) Stabilized power supply should be used so that electrode voltages do not vary

(iii) Effective Q on the tank circuit should be kept as high as possible

(iv) Oscillator circuit should be so arranged that there is small coupling from the tank circuit to the base & collector (grid & anode) of the oscillator transistor (tube).

(v) Master oscillator should operate at sub harmonic of the carrier frequency

(vi) In the case of electron tube oscillator, grid leak biasing should be used.

(b) Causes of Frequency drift:

An undesired change progressive & change in frequency with time. Frequency drift can be caused by instability in the oscillator & environmental changes.

Although it is often hard to distinguish between drift & oscillator aging, frequency drift may be in either direction (resulting in a higher or lower frequency) & is not necessarily linear.

(c) Fourth order harmonic the impedance of the tube tuned circuit is,

$$Z_{in} = \frac{R^2}{\omega^2 L^2} R_t$$

P.T.O

Let, $\omega = \frac{\omega_0}{n}$ [$n =$ being the order of

Capacitor C in parallel with an Inductor of inductance L & resistance R with harmonic]

$$Q_0 = \frac{\omega_0 L}{R} = \frac{1}{\omega_0 C R}$$

The tank impedance at frequency ω is given by,

$$Z_t = \frac{1}{\frac{1}{j\omega C} [R + j\omega L]}$$

$$= \frac{1}{\frac{1}{j\omega C} + [R + j\omega L]}$$

$$= \frac{R + j\omega L}{1 + j\omega C(R + j\omega L)}$$

Dividing both numerator & denominator by $j\omega C R$,

$$Z_t = \frac{\frac{L}{CR} - \frac{j}{\omega C}}{1 + j\left[\frac{\omega L}{R} - \frac{1}{\omega C R}\right]} = \frac{\frac{L}{CR} - \frac{j}{\omega C}}{1 + jQ_0\left(\frac{\omega}{\omega_0} - \frac{\omega_0}{\omega}\right)}$$

1 can be neglected in comparison with $jQ_0\left(\frac{\omega}{\omega_0} - \frac{\omega_0}{\omega}\right)$

Also $\frac{1}{j\omega C}$ may be neglected in comparison

with $\frac{L}{CR}$.

$$Z_t = \left(\frac{L}{CR} - \frac{j}{Q_0}\right) / \left(\frac{\omega_0}{\omega} - \frac{\omega}{\omega_0}\right)$$

Subharmonic of the output $f_{req} = \frac{\omega_0}{n}$

Here,

$$n=2, Z_t \approx \frac{L}{CR} \cdot \frac{j}{\omega_0} \cdot \frac{2}{3}$$

$$n=3, Z_t \approx \frac{L}{CR} \cdot \frac{j}{\omega_0} \cdot \frac{3}{8}$$

$$n=4, Z_t \approx \frac{L}{CR} \cdot \frac{j}{\omega_0} \cdot \frac{4}{15} \text{ etc}$$

$$\left(\frac{\omega_0}{\omega} - \frac{\omega}{\omega_0} \right)$$

$$\omega = \frac{\omega_0}{n}$$

$$\frac{\omega_0}{\omega} - \frac{\omega}{\omega_0} = \frac{\omega_0}{\omega_0/n} - \frac{\omega_0}{2\omega_0}$$

$\frac{L}{CR}$ is the impedance of the tank circuit at the frequency of resonance

$$n=2 \quad Z_t = \frac{1}{15} R_t$$

$$n=3 \quad Z_t = \frac{3}{80} R_t$$

$$n=4 \quad Z_t = \frac{2}{75} R_t$$

Dividing both numerator & denominator by R_t

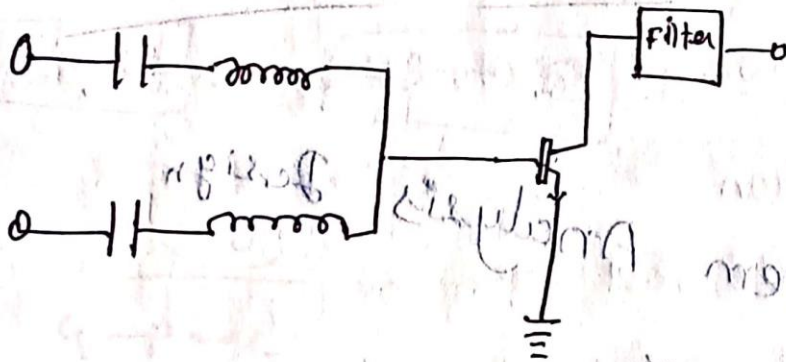
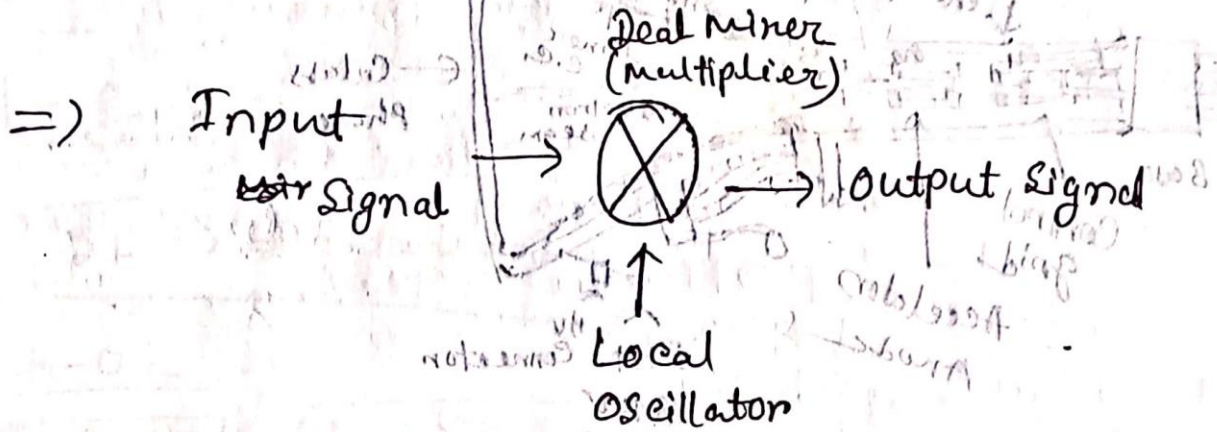
$$\frac{\frac{L}{CR} \cdot \frac{j}{\omega_0} \cdot \frac{2}{3}}{\left(\frac{\omega_0}{\omega} - \frac{\omega}{\omega_0} \right)} = \frac{\frac{L}{CR} \cdot \frac{j}{\omega_0} \cdot \frac{2}{3}}{\left[\frac{1}{\omega_0/n} - \frac{\omega_0}{2\omega_0} \right]}$$

Also $\frac{1}{\omega_0}$ may be neglected in comparison with $\frac{\omega_0}{\omega}$ and $\frac{\omega}{\omega_0}$ may be neglected in comparison with $\frac{\omega_0}{\omega}$.

$$Z_t = \left(\frac{L}{CR} \right) \left(\frac{j}{\omega_0} \right) \left(\frac{\omega_0}{\omega} - \frac{\omega}{\omega_0} \right)$$

2) ③

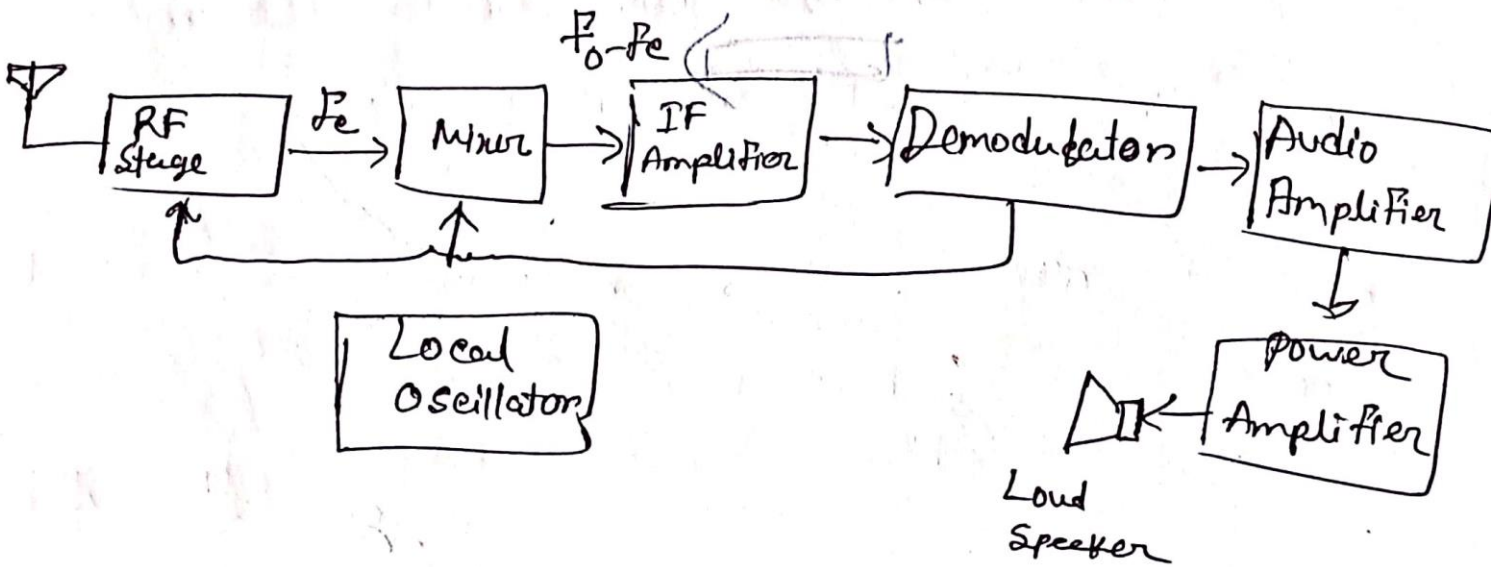
1a) Frequency mixer circuit using two transistors



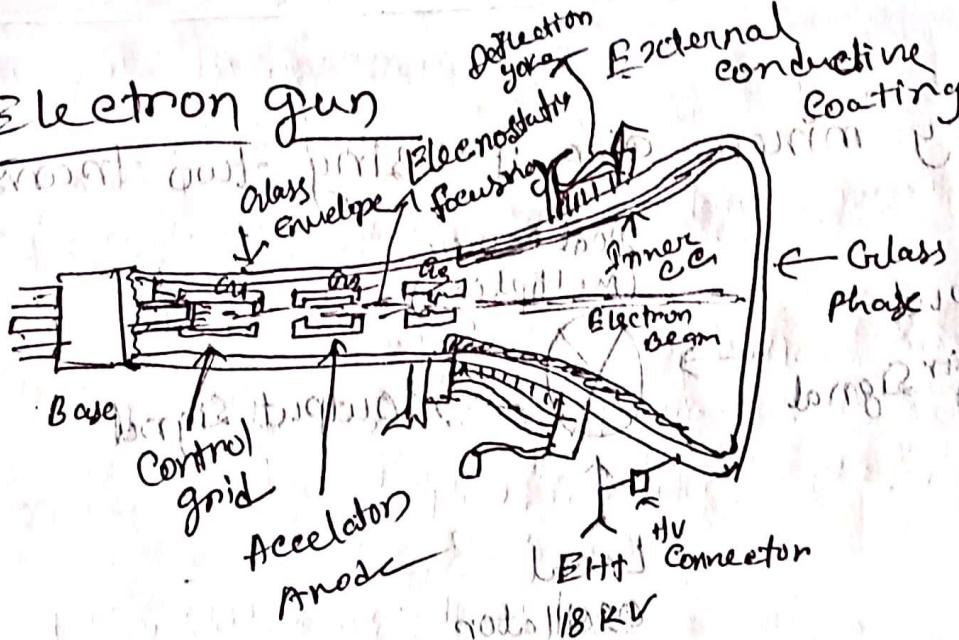
Bipolar Mixer Circuit

3

3(a) 2- Superheterodyne

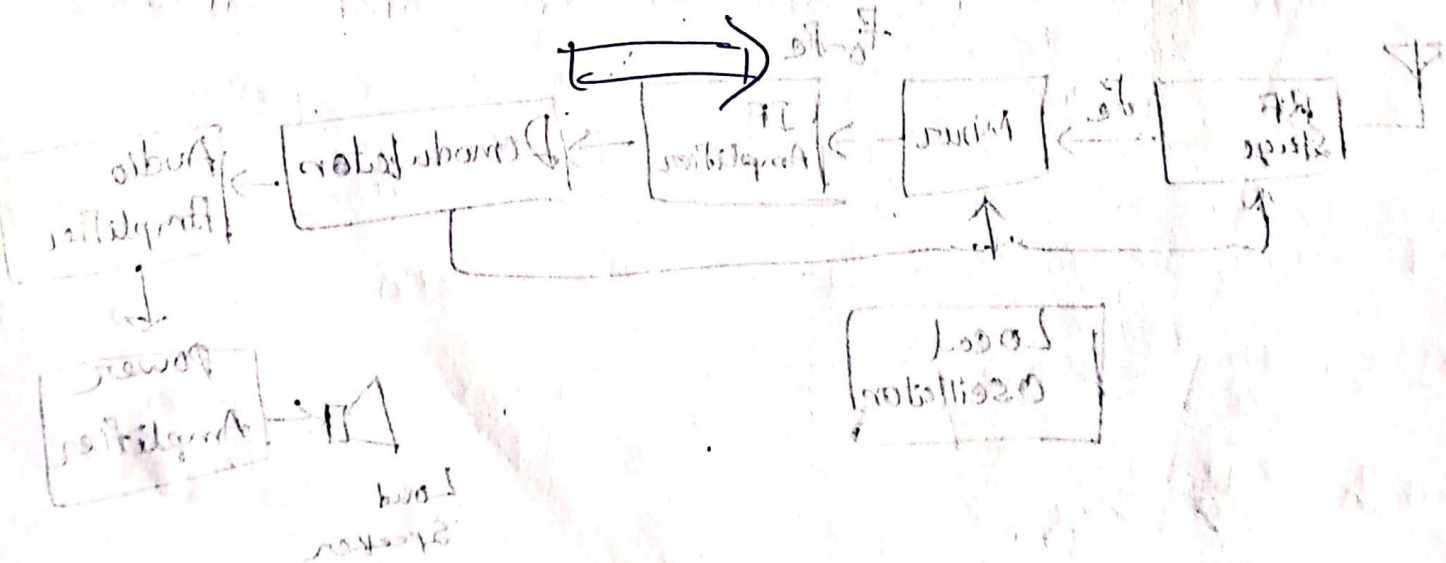


Electron Gun



System Analysis & Design

Design Development



Basic Communication System:

- Communication is the basic step for exchange of information.
- Communication is the bridge to share.
- Communication can be defined as the process of exchange of information through means such as words, actions, signs, etc between two or more individuals.

Definition of Communication:-

- Communication is the process of establishing connection or link between two points for information exchange.
- It is simply the basic process of exchanging information.
- It is exchanged between individuals through a medium.

Communication can also be defined as the transfer of information from one point in space and time to other point.

Main objective of Communication:-

Sender to receiver एउ मध्ये कोला message

अथवा Information को Collect करवा वा

प्राप्तिलोय कनु) = कोला error, noise or distortion

छाड (less possible time) प्राप्तिलो पावने

Main objective of Communication,

- Collect information from the sender completely.
- Transmit this information as much possible in less time.
- Deliver this info to the receiver without any error.
- Transmit more information as much as possible.

☒ Communication channel or medium

☒ Receiver

☒ Noise (Message signal and other signals)

☒ Output Transducer (Information to output transducer and message to output device)

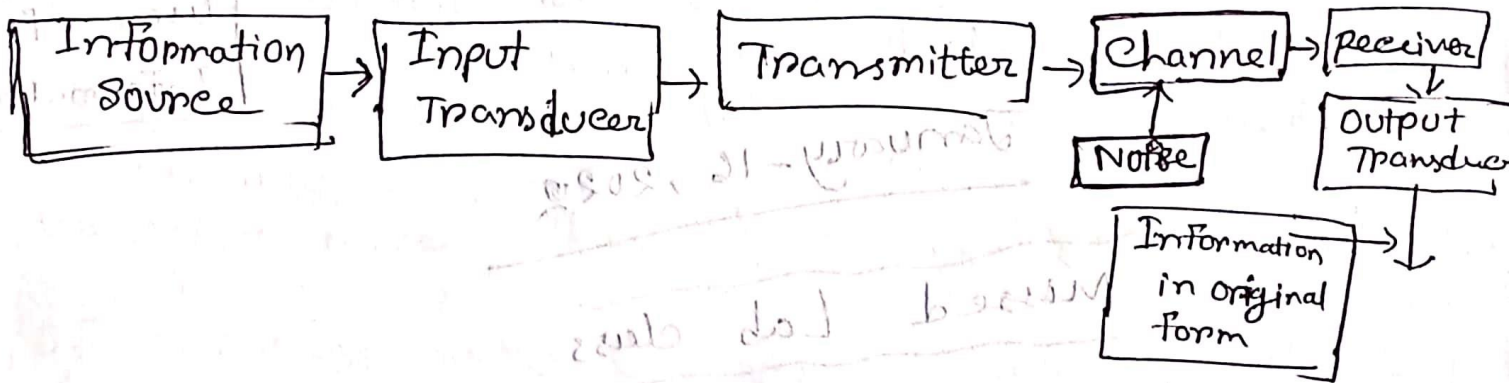


Fig: Block Diagram of Communication System.

BTS → Base Transmit Station

or, Base Transceiver Station

☒ କେବଳ ସୀମିତ unlimited Distance cover କରାଏ ।

(Basic Communication Engineering)

Modulator

It happens (modulation) in transmitter

⇒ To transmit over a large distance of message signal because of their low

frequency and amplitude wave called

carrier wave. This phenomenon of superimposing of message with a carrier wave is called modulation.

The resultant wave is a modulated wave which is to be transmitted.

Amplitude Modulation (AM):

The process of changing the amplitude of signal by wave by impressing or superimposing it on a high-frequency carrier wave, keeping its frequency constant is called amplitude modulation.

Frequency Modulation (FM):-

It's a technique in which the frequency of the message signal is varied by modulating with a carrier wave.

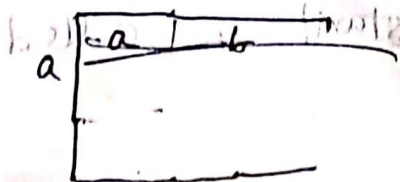
Phase Modulation (PM):-

It changes the phase of the signal wave. The phase shift after modulation is dependent on the frequency of the carrier wave as well. Phase modulated waves are immune to noise to a greater extent.

Demodulator:- Inverse phenomenon of modulation.

The process of separation of message signal from the carrier wave takes place in the demodulator. The info.

$$a+b \quad (a^2+b^2) \quad a^2+b^2+2ab$$



Amplifier: - Signal \propto Amplitude \propto Strength
of the transmitted signal is called an
amplifier. It can be done anywhere in
between transmitter & receiver. A DC
power source will provide for the amplification.

Antenna: -

It is a structure or a device that will
radiate and receive electromagnetic waves. So, they are used in both
transmitters & receivers.

It is a metallic object. Often a collection
of wires. The electromagnetic waves are
polarised according to the position of
antenna.

Attenuation: -

It is a problem caused by the medium.
When the signal is propagating for a long
distance through a medium, depending on

the length of the medium, the initial power decreases.

The loss in initial power \propto length of the medium.

Digital signals are comparatively less prone to attenuation than analogue signals.

Distortion:- Signal বাধিত হওয়ার কারণ।

- It is also another type of channel problem.

→ মধ্যম (মানে) সিগন্যালের বাধিত হওয়ায় পাল্লিত হয়।

→ The distorted signal may have frequency & bandwidth different from the transmitted signal.

→ It can be linear or non-linear.

Repeaters:-

It is placed at different locations in between the transmitter & receiver.

A repeater receives the transmitted signal,

simplifies it & send it to the next repeater without distorting the original signal.

Types of Communication System:-

① Based on the way of communication:

(i) one way or simplex

(ii) Two way or Duplex

② Based on the form of signals:-

(i) Analog Communication System

(ii) Digital Communication System

③ Based on the communication channel:-

(i) Line Communication (wire, coaxial cable,

optical cable, twisted wire etc)

(ii) Space Communication (ground waves, sky waves, space waves, satellite communication)

Types of Signals:-

⊕ Conveying some information by some means such as gestures, sounds, actions etc. can be termed as signalling.

A signal can be a source of energy which transmits some info.

This signal helps to establish a communication between the sender and the receiver.

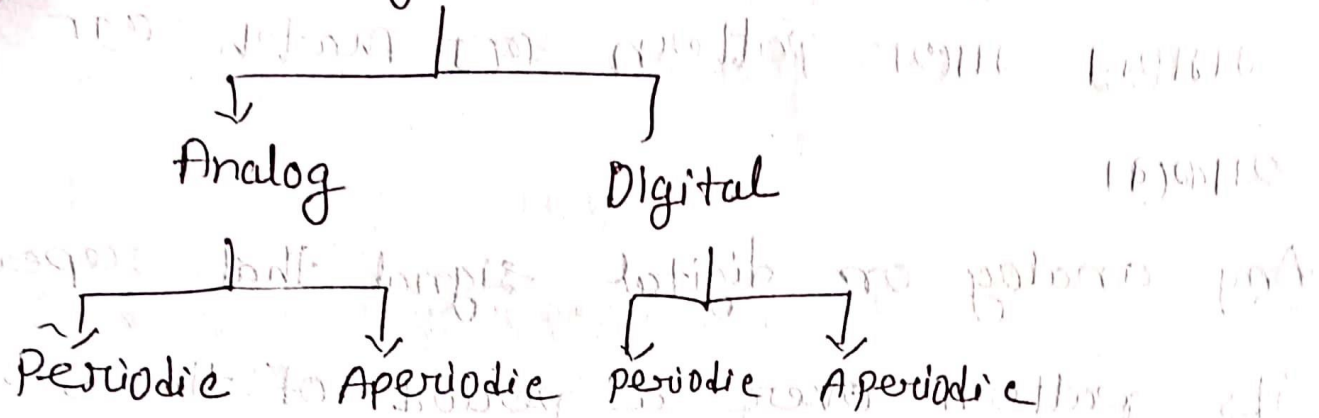
⊕ An electrical impulse or an electromagnetic wave which travels a distance to convey a message, can be termed as a signal in communication systems.

⊕ Depending on their characteristics, signals are mainly classified into two types:

Analog & digital. Analog & digital

signals are further classified.

Signals



Analog Signal :-

इ प्रकृति समन्तर कतु signal vary करता व या signal चरित्रि शव। अर्थात् प्रकृति समन्तर कतु तात value शकत।

⊛ Time varying quantity can be understood as Analog Quantity.

⊛ The communication based on analog signals & analog values is called as

Analog Communication.

⊞ Digital Signal :- Discrete in nature,

- Non-continuous in form are called as

Ds. 0, 1 द्वारा प्रकृत कर श्व Binary ०, 1

Signals

Analog

Digital

Periodic

Aperiodic

periodic

Aperiodic

Analog signal:-

● प्रकृति समझने के लिए signal vary करते हैं।
● signal का प्रतिफल है। अर्थात् प्रकृति समझने के लिए value शक्य है।

⊗ Time varying quantity can be understood as Analog Quantity.

⊗ The communication based on analog signals & analog values is called as

Analog communication.

⊠ Digital signal:- - Discrete in nature,

- Non-continuous in form are called as

Is. 0, 1 द्वारा प्रकृत रूप में Binary है।

Periodic Signal:-

সমস্তর সাত pattern কয় match কয়
শাকবে।

→ Any analog or digital signal that repeats its pattern over a period of time, is called as a periodic signal.

→ This signal, has its pattern continued repeatedly and is easy to be assumed or to be calculated.

Aperiodic Signal:

একচে এ amplitude এ কয়ে সতসময়
একচে শাকবে না কয় vary কয়বে।

Need For Modulation:-

⇒ Baseband signals are incompatible for direct transmission.

For such a signal, to travel longer distances, its ~~the~~ strength has to be increased by modulating with a high-

frequency | carrier wave, which doesn't affect the parameters of the modulating signal.

Advantages of Modulation:-

⊕ Antenna used for ~~modulation~~ transmission.

A Advantages:-

→ Reduction of antenna size

→ NO signal mixing

→ Increased communication range

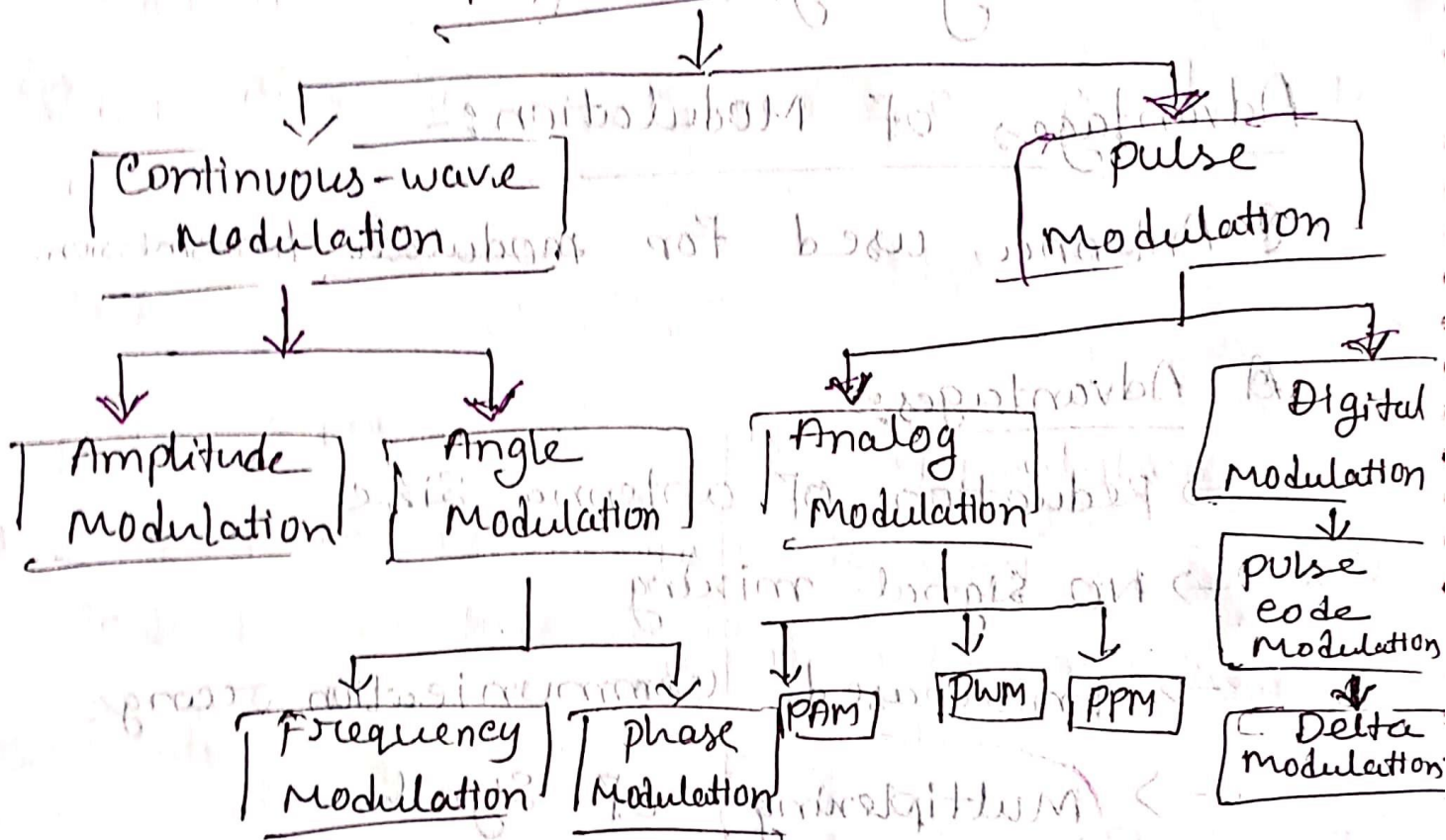
→ Multiplexing of signals

→ Possibility of bandwidth adjustments

→ Improved reception quality

Types of Modulation

Types of modulations



① Continuous wave Modulation:- (Sine wave used as a carrier wave)

② Amplitude Modulation:-

IF the amplitude of the high frequency carrier wave is varied in accordance with the instantaneous amplitude of the modulating signal, then such a technique is called as Amplitude Modulation.

Angle IF the angle of the carrier wave is varied in accordance with the instantaneous value of modulating signal, then such a technique is called as Angle Modulation.

⊗ IF the frequency of the carrier wave is varied, in accordance with the instantaneous value of the modulating signal, then such a technique is called as Frequency Modulation

⊗ IF the phase of the high frequency carrier wave is varied in accordance with the instantaneous value of the modulating signal, then such a technique is called as phase modulation.

⊗ pulse modulation:-

One kind of digital signal. Sequence of rectangular pulses, A carrier wave. This

is further divided into analog and digital

Modulation!

Demodulation:-

संदेश message & Carrier को separate कर
दिया।

* Difference between

Modulation

① process of influencing data information on the carrier.

② Modem ~~can~~ can do this

③ Aim to achieve transfer information with the minimum distortion, minimum loss, and efficient utilization of spectrum.

Demodulation

① Recovery of original information at the distant end of the carrier

② Modem can do this too

③ (Same)

Radio Frequency Bands:-

It is one of such parts of the electromagnetic spectrum that overlaps our sub-THz range at its lower end. Electromagnetic waves in this frequency range are called radio frequency bands or simply radio-waves.

RF Bands - 30 kHz - 300 GHz

All known transmission systems are operated in the RF spectrum range including analog radio, aircraft navigation, marine radio...

RF Frequency Bands:-

International Telecommunication Union (ITU) (Geneva, Switzerland)

→ our technology is operating frequency to fix the system

Band - - -

Distortion शून्य।

The modulation index is the ratio of the maximum amplitude of the message signal to the maximum amplitude of the carrier signal.

For Example:-

If the message signal maximum amplitude is 4 volts & carrier signal maximum amplitude is also 4 volts then the ratio = 1. So, the modulation index in perfect modulation is equal to one ($m_i = 1$)

⊕ Modulation Index also known as the Modulation Depth.

The perfect modulation has a modulation depth at 100%.

In perfect-modulation the carrier level falls (to zero).

Under Modulation:-

मदि Modulation Index का Value 100% का छोटे अर्थात् 1 से छोटी रहे Under Modulation বলে। এ ফলে Signal এ কোনো Distortion হয় না।

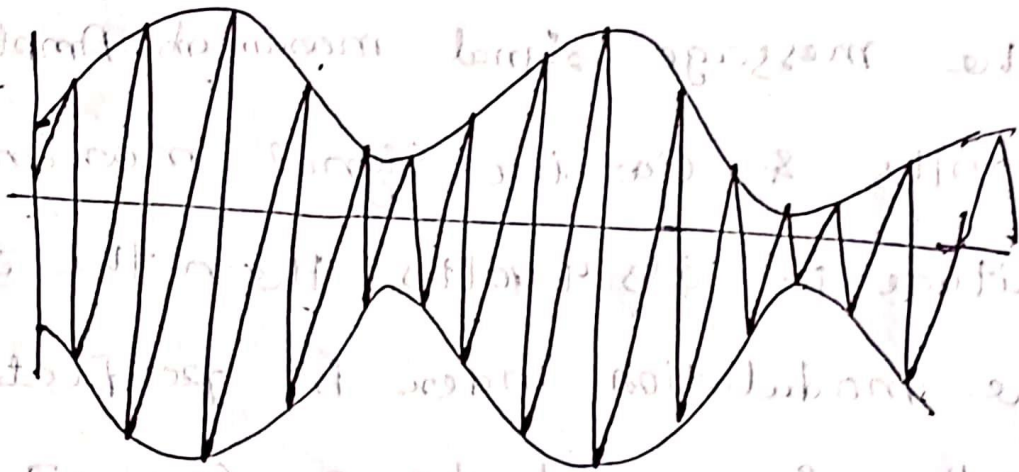


Figure: Under Modulation.

Over-Modulation:-

Greater than 100% or 1,
Greater than the maximum Amplitude
of the carrier signal ($A_m > A_c$)

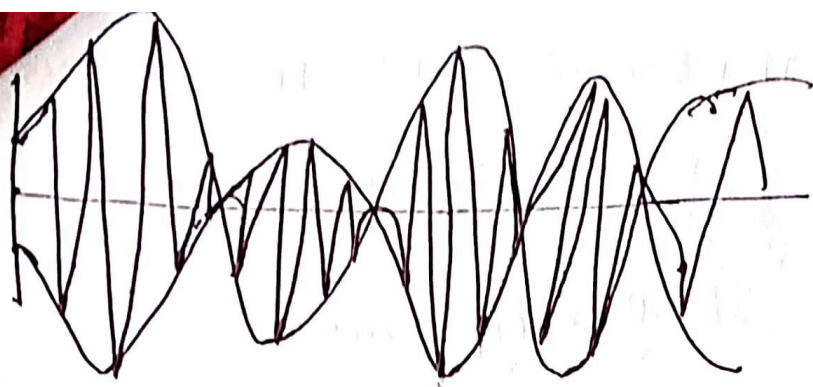


Figure:- Over modulation.

modulation index will be less than one or equal to one ($M \leq 1$) when $A_m \leq A_c$.

The minimum value of the modulation index will be zero.

There are three types of Modulation:-

1) Perfect-Modulation.

2) Under-Modulation.

3) Over-Modulation.

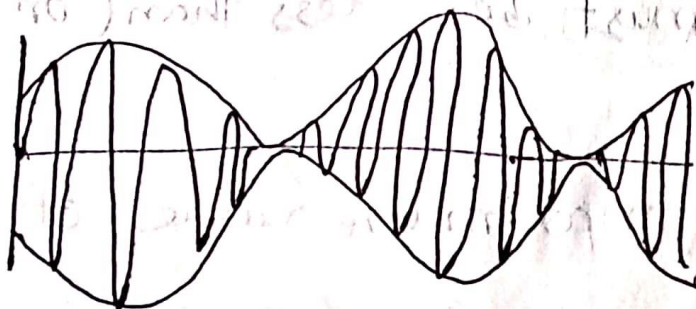
Perfect Modulation:-

Maximum ^{Amplitude} Frequency of the

message signal or Modulated signal

exactly equal to the carrier signal

शून्य पर Perfect Modulation शून्य ($A_m = A_c$)



$$M_i = \frac{A_{max} - A_{min}}{A_{max} + A_{min}}$$

Frequency Spectrum of Amplitude Modulation:

Modulation:

Modulation Index or Modulation Depth Examples:-

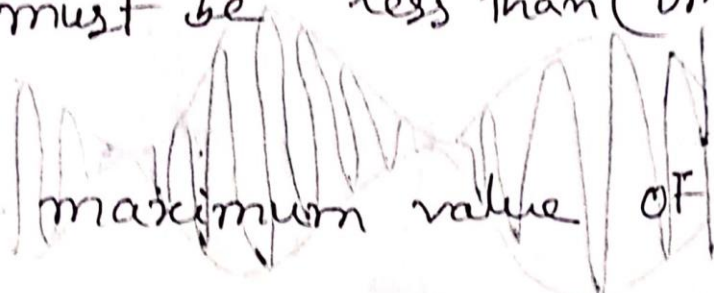
Examples:-

Message signal of amplitude A_m or A and carrier signal of amplitude A_c or C .
 \Rightarrow The maximum amplitude of the carrier signal to avoid any distortion in the modulated signal.

FOR example:-

If the carrier signal amplitude is 5 volts then the message signal amplitude must be less than (or equal to) 5 volts.

Hence, the maximum value of the



Date: 22.01.22 (Saturday)

CCE-2407 (Basic Communication Engineering)

Amplitude Modulation (AM) :- (baseband signal)

Amplitude Modulation is a type of modulation where the amplitude (Signal Strength) of the carrier signal is varied in accordance with the amplitude (Signal Strength) of the message signal.

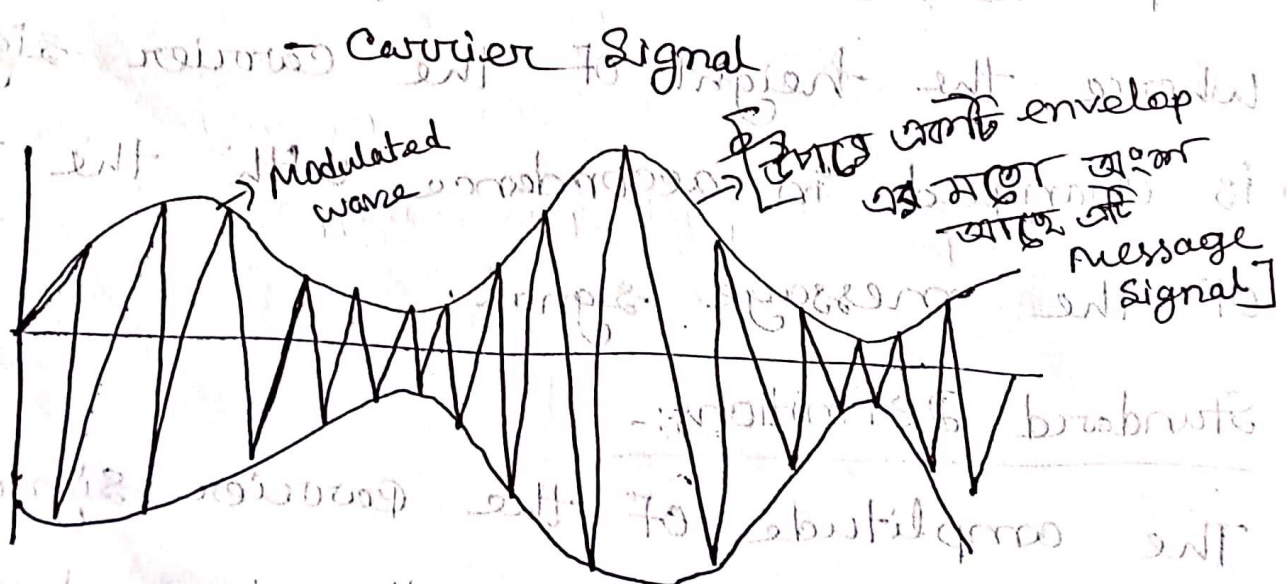
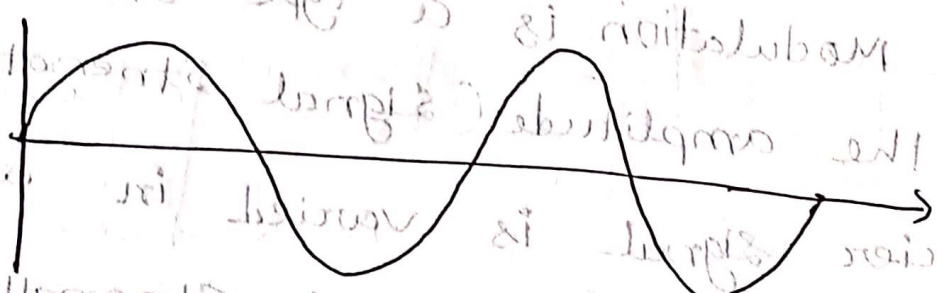
Or,

Amplitude Modulation is a type of modulation where the height of the carrier signal is changed in accordance with the height of the message signal.

Standard Definitions:-

The amplitude of the carrier signal varies in accordance with the instantaneous amplitude of the modulating signal.

Means, the amplitude of the carrier signal varies in containing no information varies as per the amplitude of the signal information, at each instant.



- Amplitude Modulation (AM)

Modulation Index:-

Amplitude of the message signal & carrier signal ratio is called Modulation Index.

~~$a = A \sin \omega_c t$~~ (5)

\Rightarrow Amplitude Modulated wave,

~~$a = A \sin \omega_c t$~~ (5)

put a value from equation (4) into (5),

$$a = (A_c + A_m \sin \omega_m t) \sin \omega_c t \quad (6)$$

\rightarrow This is an equation of Amplitude modulated (AM) wave.

Frequency Spectrum

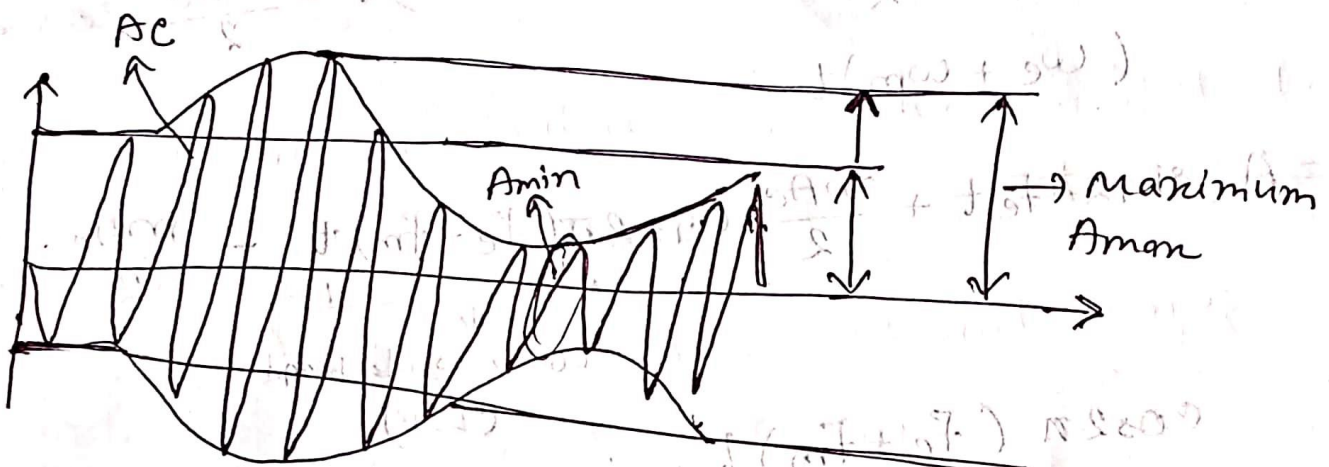
$$AM(t) = (A_c + A_m \sin \omega_m t) \sin \omega_c t \quad [\text{value of } m]$$

$$= A_c \sin \omega_c t + m A_c \sin \omega_m t \sin \omega_c t$$

$$= A_c \sin \omega_c t + \frac{1}{2} \cdot 2 \cdot m A_c \sin \omega_m t \sin \omega_c t$$

Calculation of Modulation Index From

Amplitude Modulated (AM) wave forms -



$$A_m = \frac{A_{max} - A_{min}}{2} \quad \text{--- (1)}$$

$$A_c = \frac{A_{max} - A_m}{2} \quad \text{--- (2)}$$

First A_m value from eqn (1) into eqn (2),

$$A_c = A_{max} - \frac{A_{max} - A_{min}}{2} \quad \text{--- (3)}$$

$$A_c = \frac{A_{max} + A_{min}}{2} \quad \text{--- (4)}$$

$$M_i = \frac{A_m}{A_c}$$

$$M_i = \frac{\frac{A_{max} - A_{min}}{2}}{\frac{A_{max} + A_{min}}{2}}$$

